

Measurement-based cooling of a trapped ion

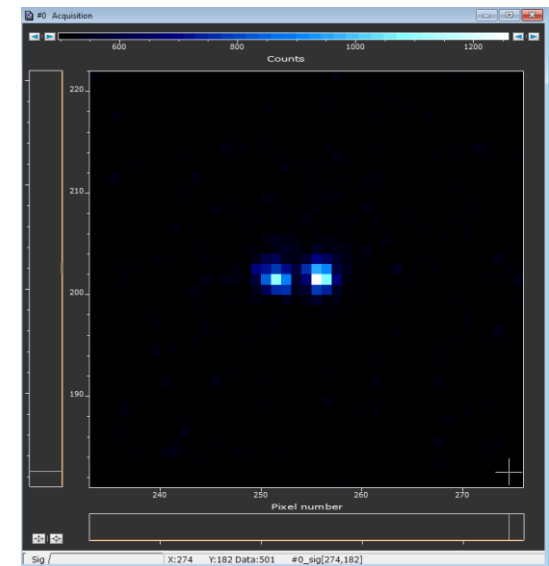
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www.imperial.ac.uk/ion-trapping

Quantum control of a trapped ion

- For many applications we need full control of the quantum state of a trapped ion, e.g.
 - Precision spectroscopy
 - Quantum information
 - Quantum optics
- This requires preparation of the *motional state* as well as the *electronic state* of the ion
- Doppler laser cooling will take us to an equivalent temperature of ~ 1 mK
 - This gives an average motional quantum number of typically $n \sim 20$
- Then *optical sideband cooling* will prepare the motion in $n = 0$



Two calcium ions
with a separation
of about $10\ \mu\text{m}$

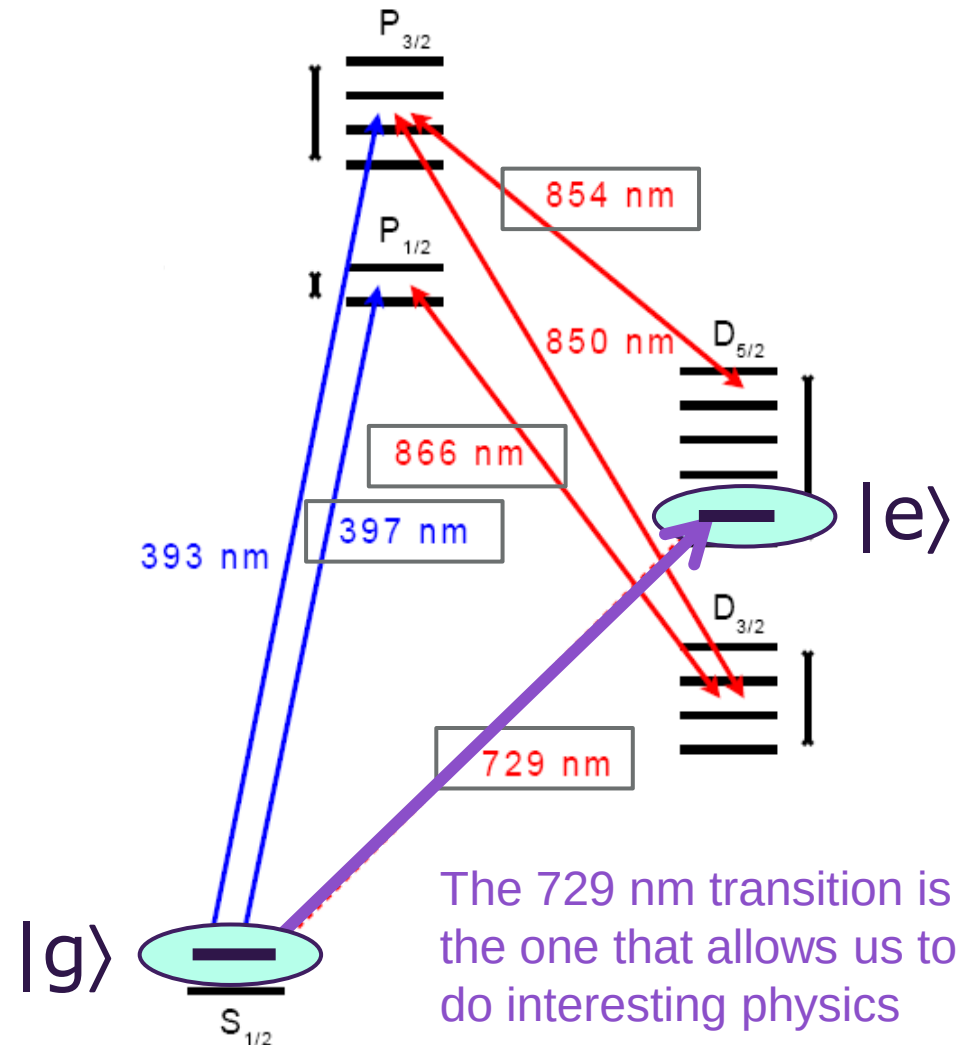
Laser cooling of Ca^+

397nm diode laser for Doppler Cooling

866nm diode laser for repumping

854nm laser diode for quenching/repumping

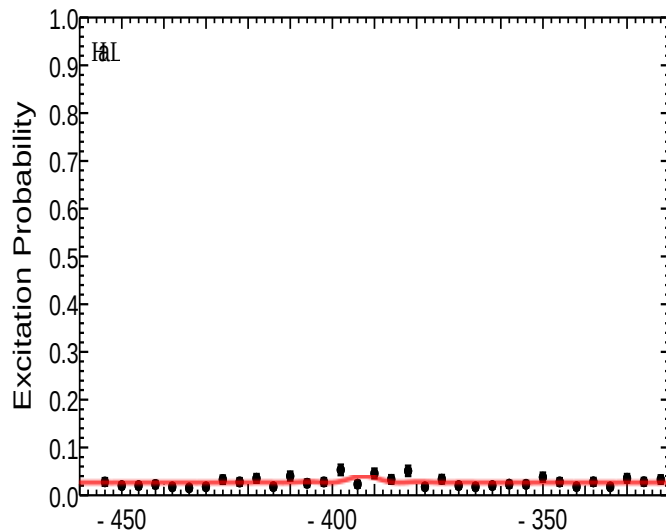
Ultra-stable 729nm diode laser for spectroscopy, sideband cooling, coherent control



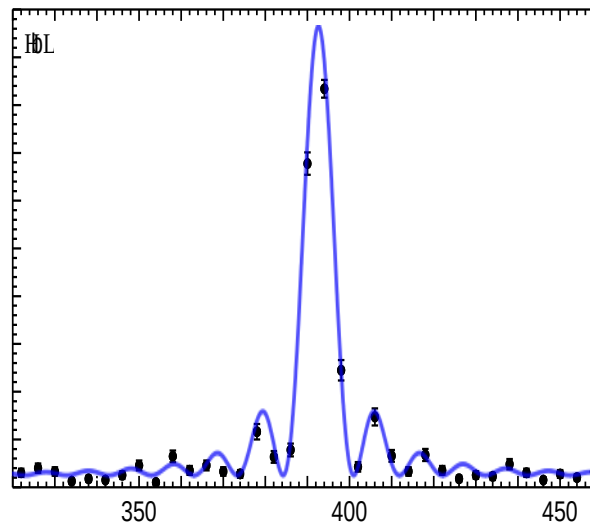
Sideband cooling of axial motion

A trapped ion is effectively a 2-level atom with a motional degree of freedom in a QM simple harmonic potential

Red sideband

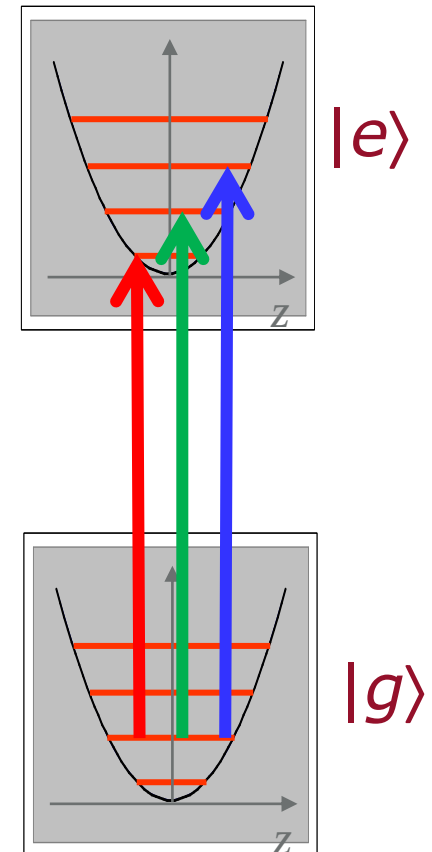


Blue sideband

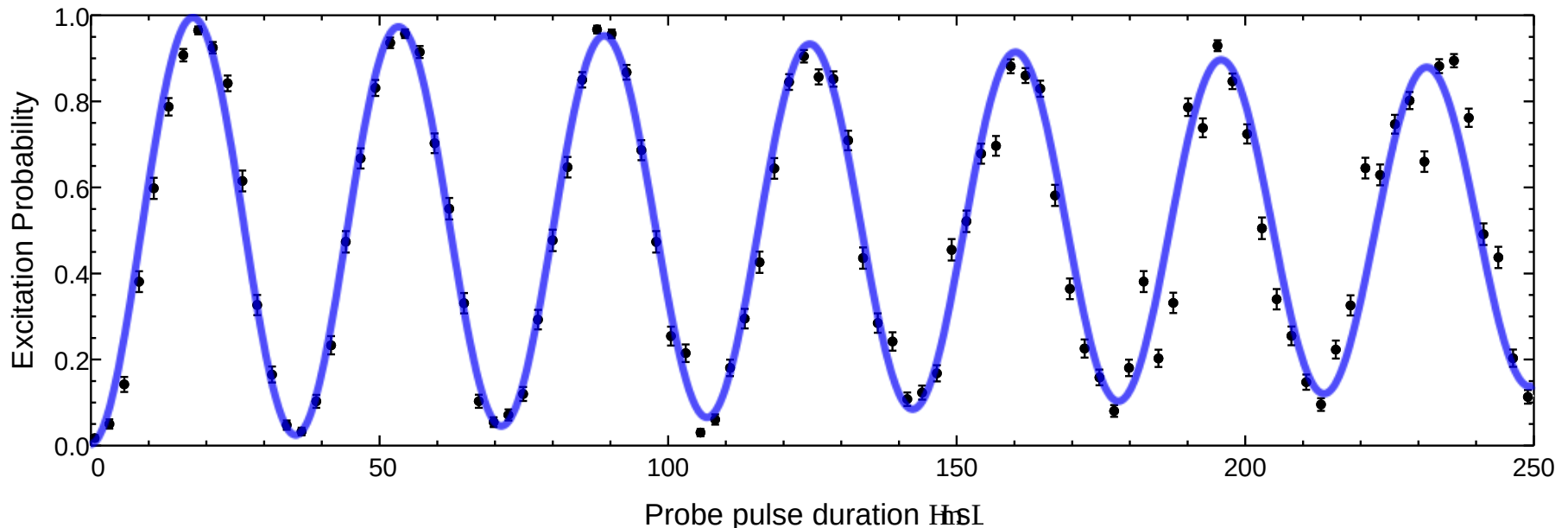


Detuning from carrier (kHz)

Absence of red sideband indicates that ion is in the ground vibrational state.

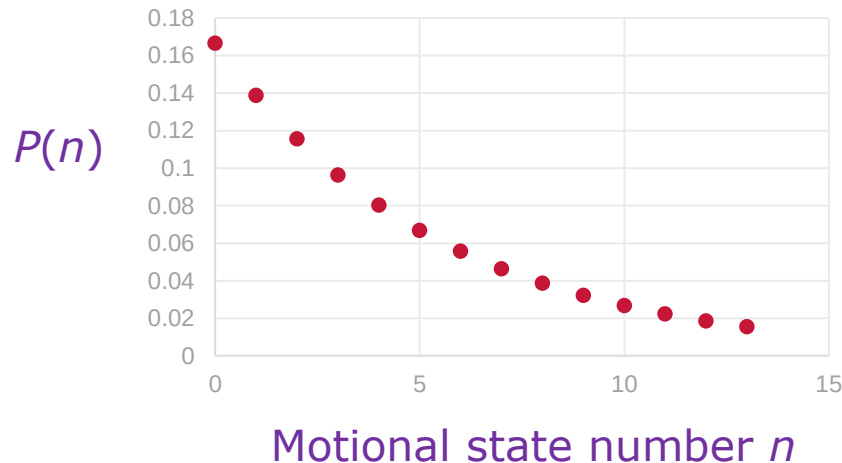


Rabi oscillations



- Rabi oscillations are the coherent oscillation of the wavefunction between the $|g\rangle$ and $|e\rangle$ electronic states
- We can see Rabi oscillations for ground-state cooled ions on the carrier transition
 - This shows that we can perform coherent manipulations of our system
- The coherence time is ~ 0.8 ms

Measurement-based cooling

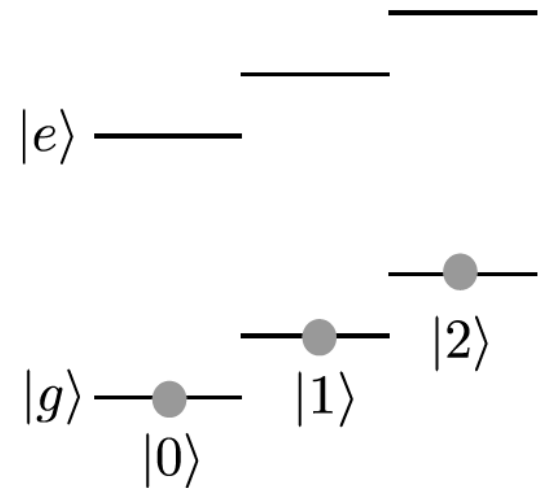


This is the distribution for a mean excitation number of 5

- After Doppler cooling of an ion, the mean motional excitation number is typically 10 – 20
- Sideband cooling actively pumps the system into $n=0$ by exciting the red sideband of the qubit transition
- An alternative to sideband cooling would be to select the occasions when the system happens to be in $n=0$
 - This is the principle of *measurement-based cooling*

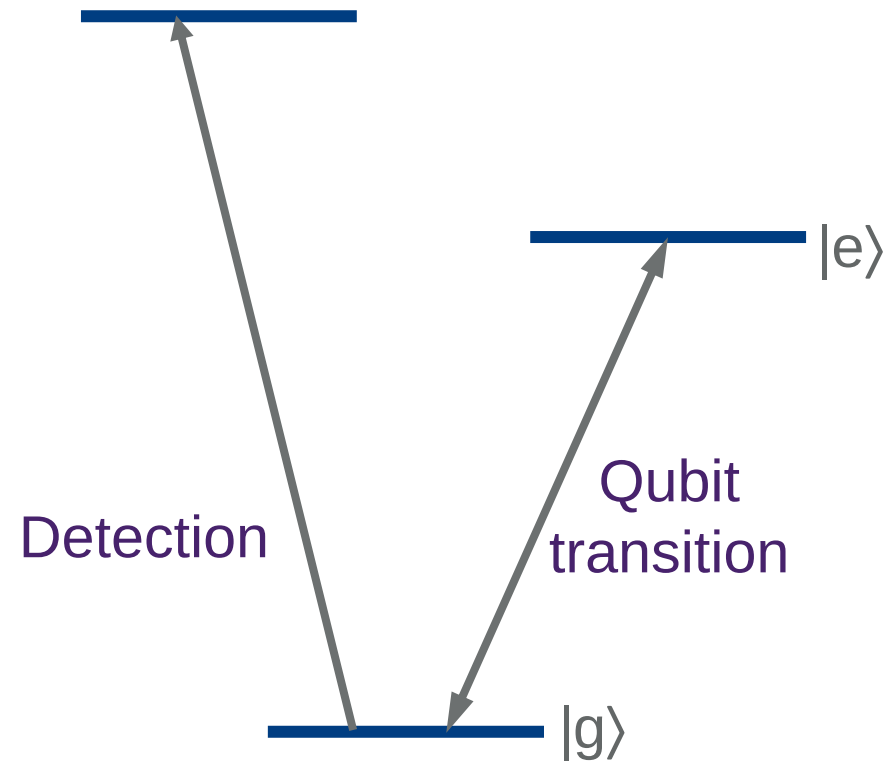
Making a measurement

- After Doppler cooling the system is in the qubit state $|g\rangle$ and a mixture of motional states
- We want to determine whether $n=0$ but the only measurement we can make tells us whether the qubit state is $|e\rangle$ or $|g\rangle$
 - This does not tell us the motional state

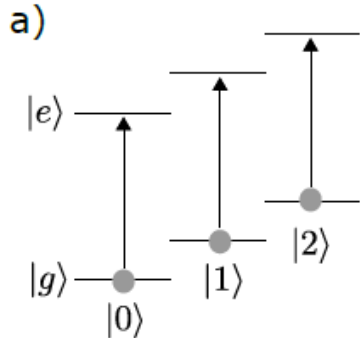


Determining the qubit state

- Turn on Doppler cooling lasers
- If we see fluorescence, we know the qubit state is $|g\rangle$
 - **BUT** the motional state changes after spontaneous decay
- If we see no fluorescence, we know the qubit state is $|e\rangle$
 - The motional state is unchanged
- We can use a sideband transition to associate $n=0$ only with the qubit state $|e\rangle$

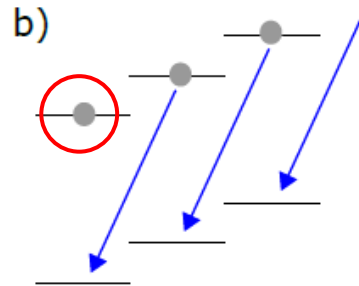


Selecting the motional ground state



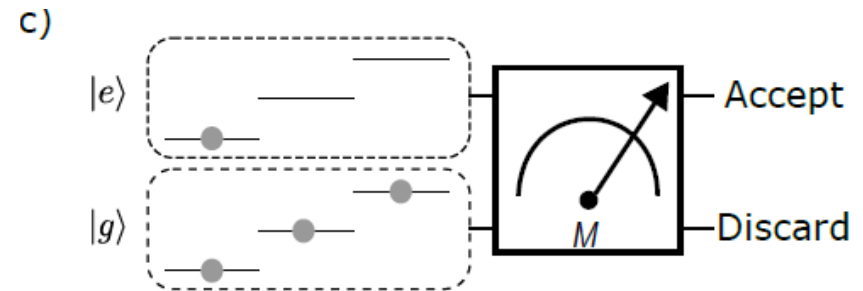
Thermal distribution in $|g\rangle$ after Doppler cooling

Excite all the population into $|e\rangle$ with a pulse on the carrier transition



Use a pulse on the blue sideband to bring the population back into $|g\rangle$

But if the ion is in the motional ground state $n=0$, it remains in $|e\rangle$



Detect qubit state using the Doppler cooling lasers

If fluorescence is seen (qubit state is $|g\rangle$), discard data point and start again

If no fluorescence seen (qubit state is $|e\rangle$), ion is in motional ground state and experiment can proceed

Absence of fluorescence heralds the system being in the motional ground state

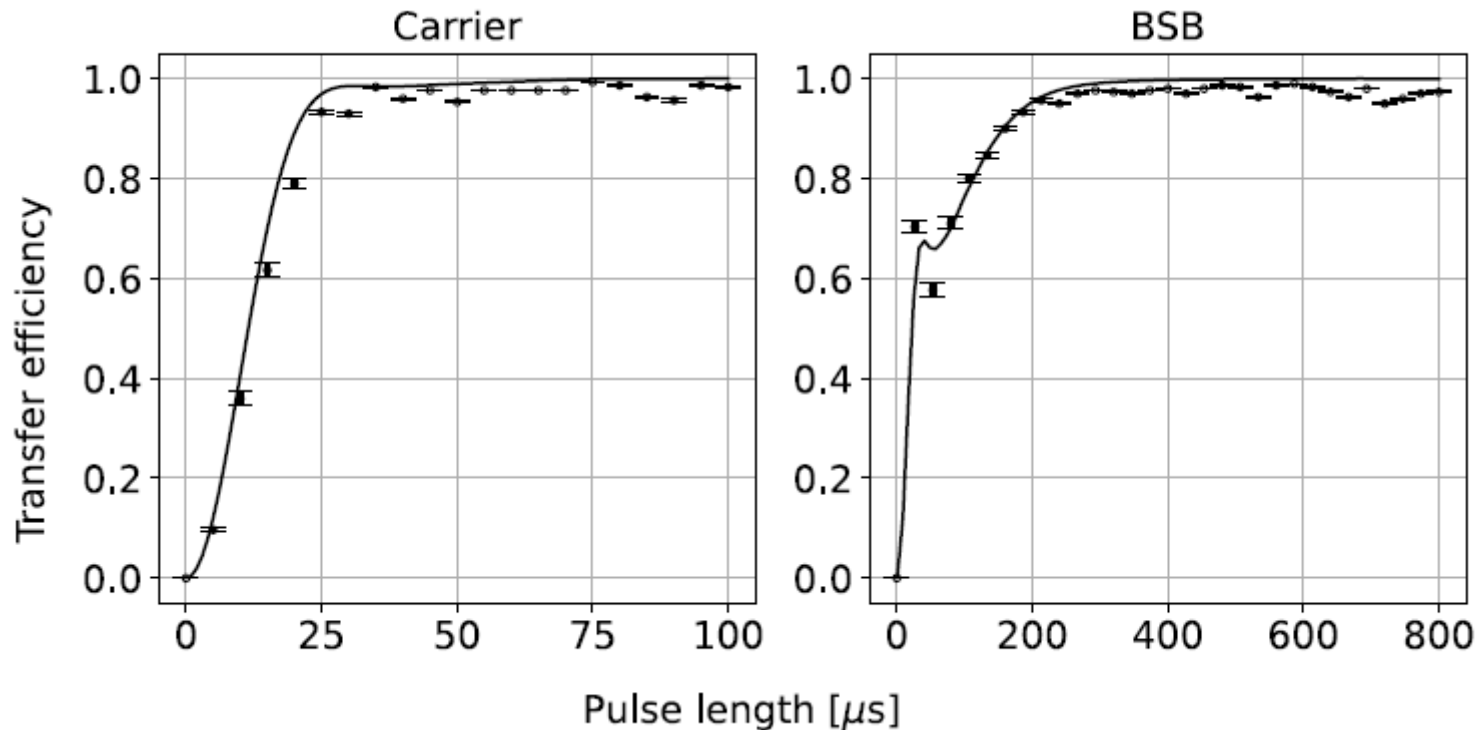
Rapid Adiabatic Passage

- The experiment requires us to transfer population between $|e\rangle$ and $|g\rangle$ on the carrier and the sideband transitions with high fidelity, independent of the value of n .
- Since the Rabi frequencies depend on n , we can't just use conventional Rabi oscillations to give a π -pulse
- Rapid Adiabatic Passage can work with high fidelity for all n as the transfer efficiency is largely independent of the Rabi frequency
 - The laser frequency is swept through the resonance smoothly over a range δ_0 in a time T , with a $\sin^2$ intensity envelope

$$\delta(t) = \frac{\delta_0}{T} \left(t - \frac{T}{2} \right),$$

$$\Omega(t) = \Omega_{\text{peak}} \sin^2 \left(\frac{\pi t}{T} \right), \quad 0 \leq t \leq T$$

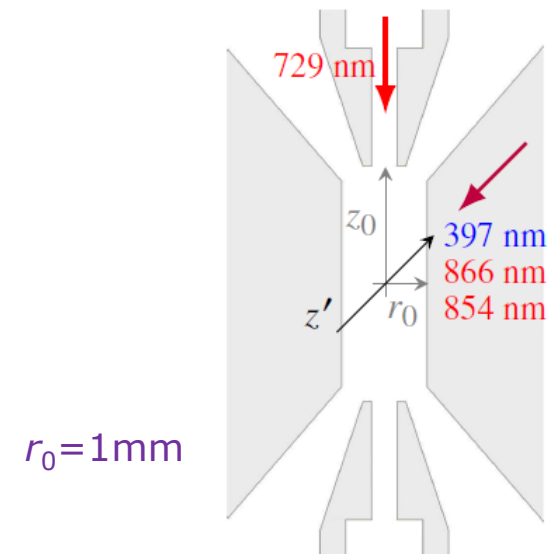
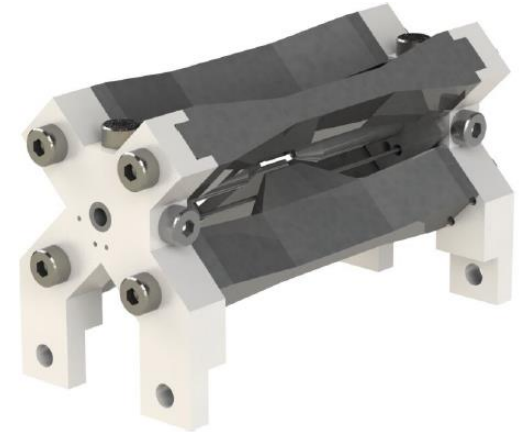
Rapid Adiabatic Passage



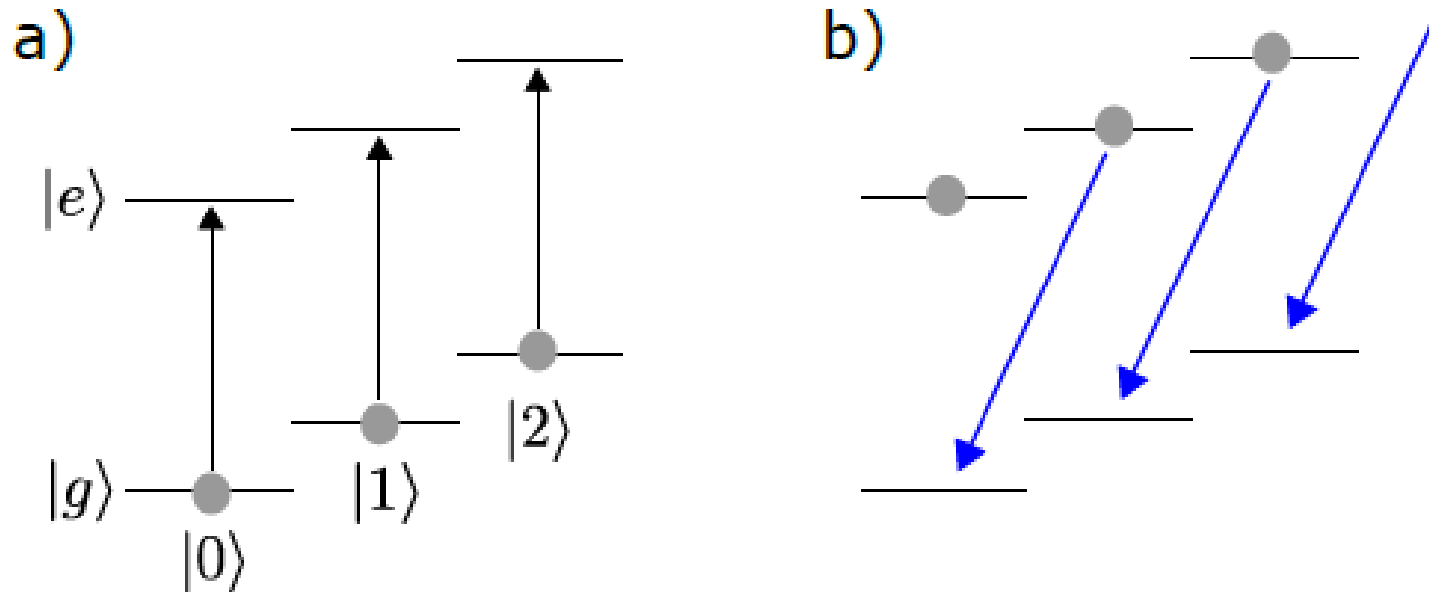
- The transfer efficiency saturates at about 95% on both the carrier (*left*) and the sideband (*right*)

Experimental setup

- Ca^+ ions in an RF blade trap
- Axial trap frequency is at ~ 1 MHz
- Laser cooling at 397 nm and 866 nm
- Qubit transition is the $^2\text{S}_{1/2}(m_j=1/2)$ to $^2\text{D}_{5/2}(m_j=1/2)$ optical transition at 729 nm
- 729 nm laser beam is parallel to the trap axis

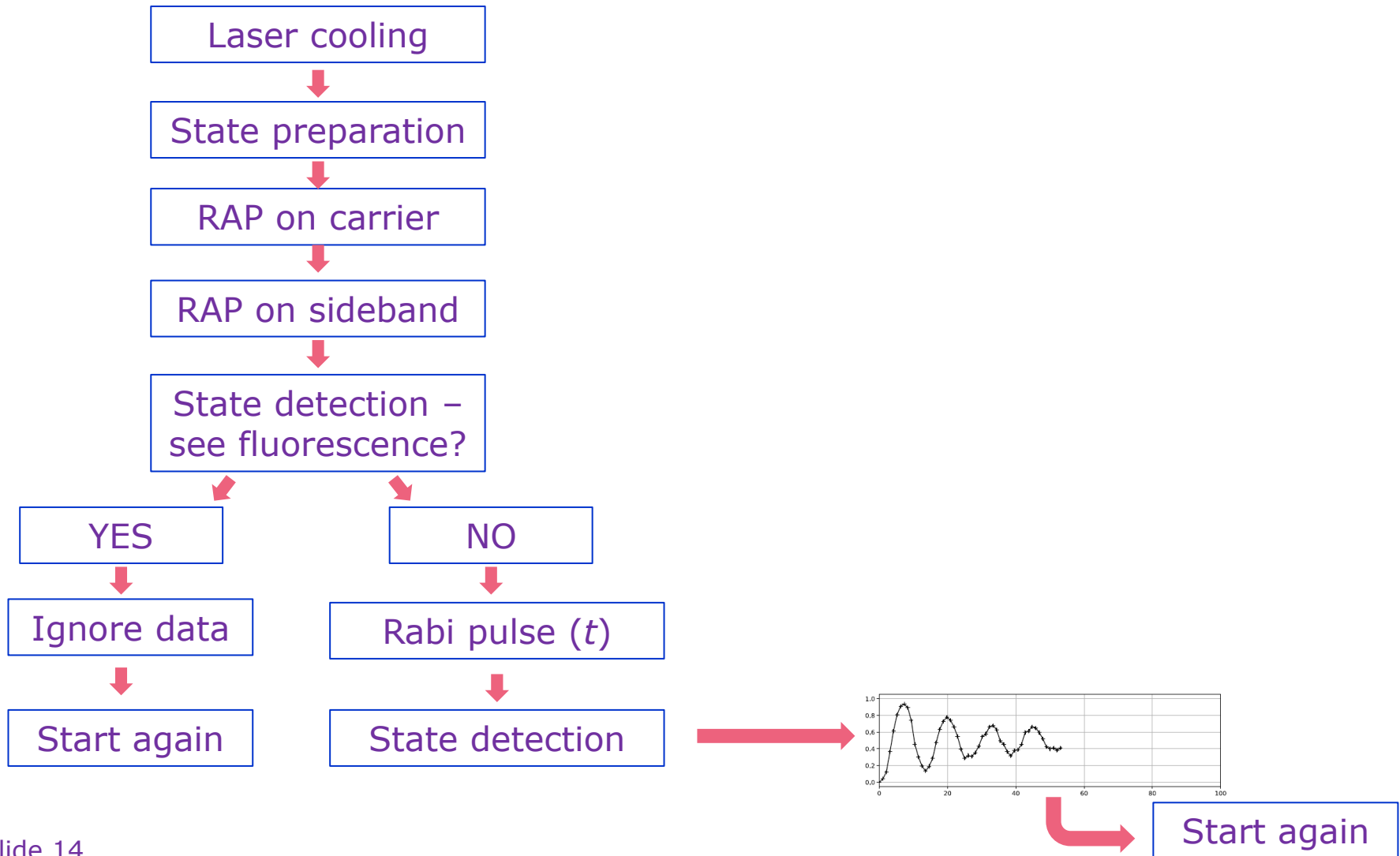


Rapid Adiabatic Pulse sequence - reminder



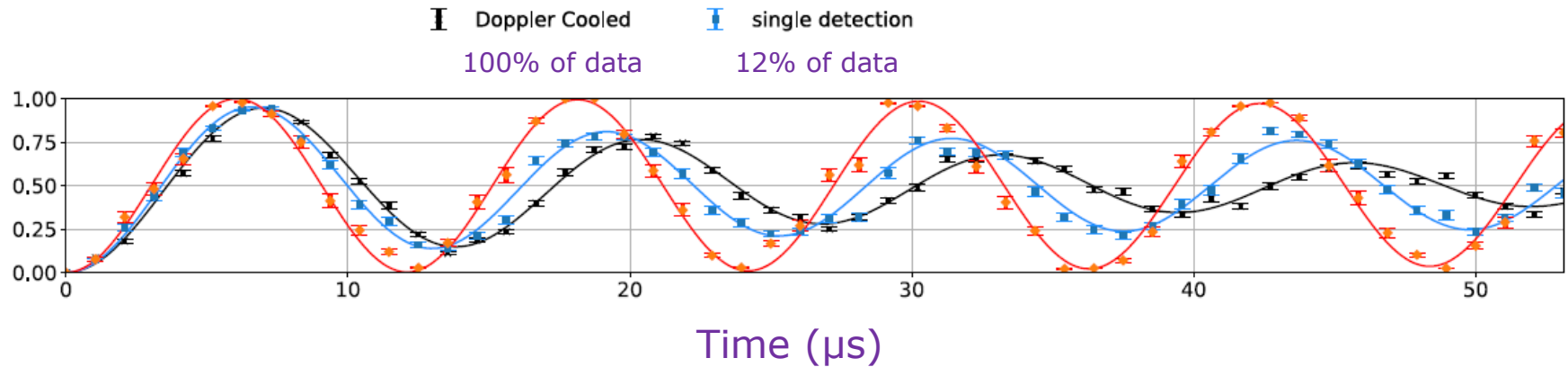
- First pulse (carrier) brings all the population from $|g\rangle$ to $|e\rangle$
- Second pulse (sideband) brings the population back down to $|g\rangle$ except for $n=0$

Experimental procedure



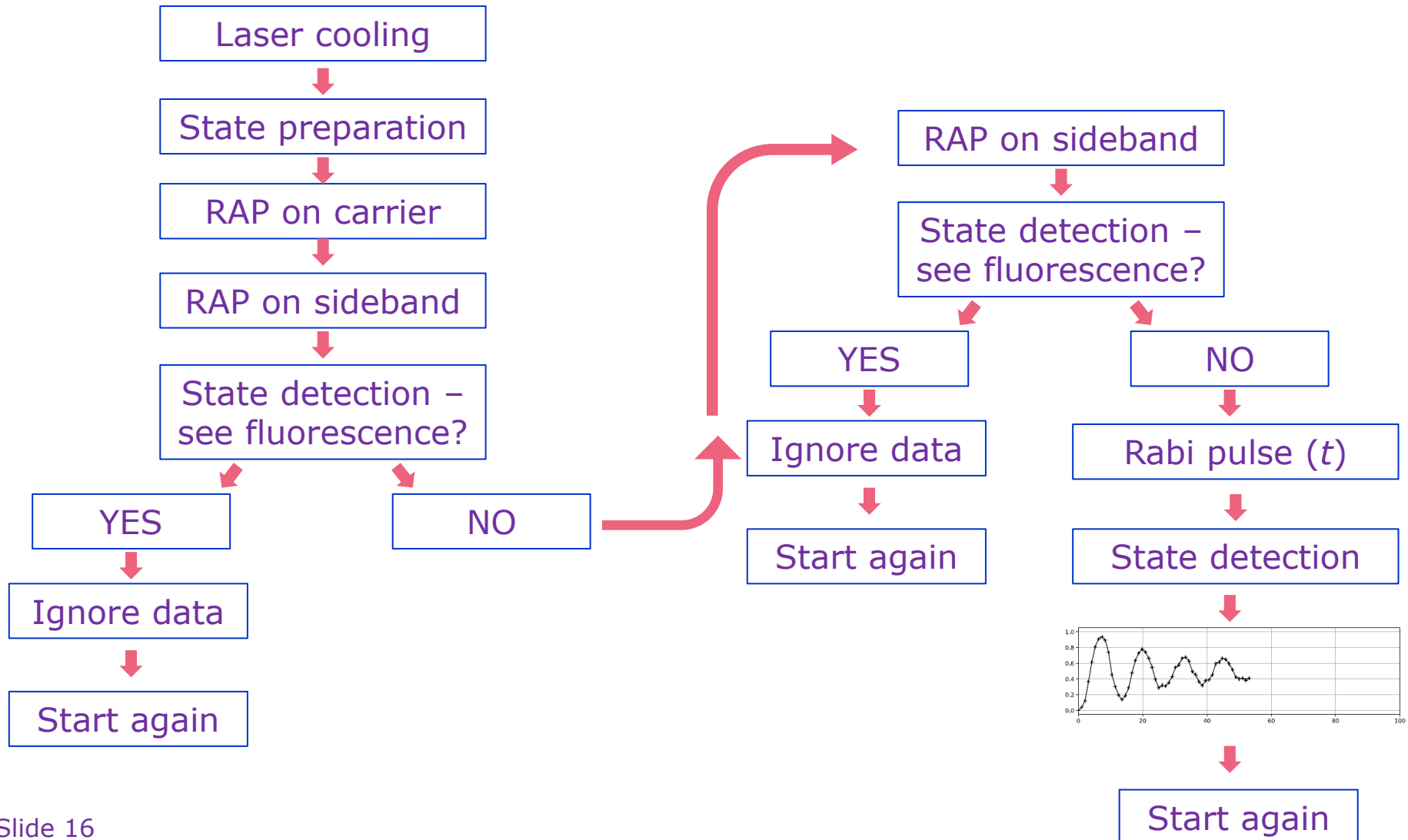
Demonstration of ground state selection

Excitation probability



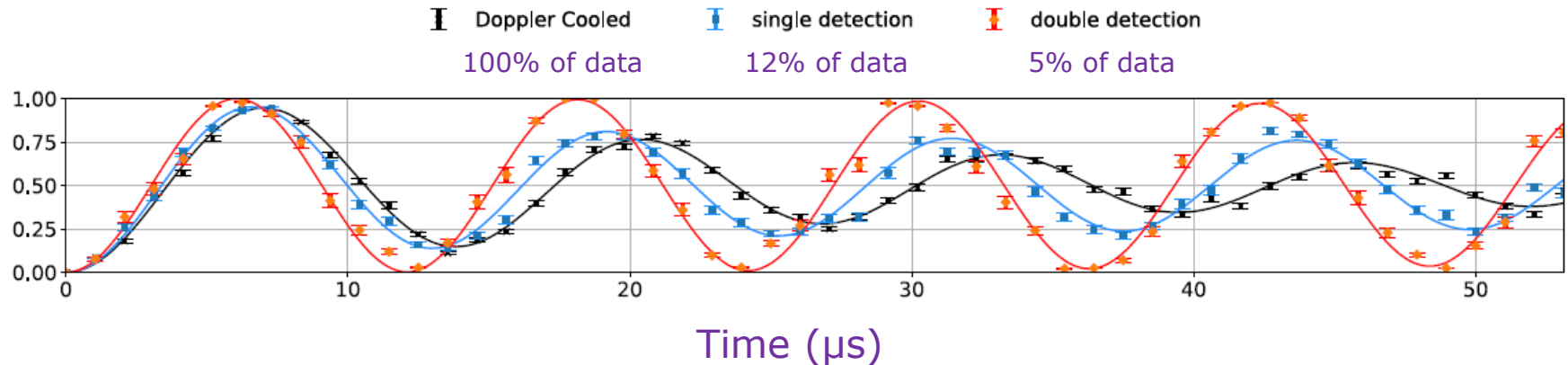
- Rabi oscillations on the carrier transition as a function of time
- Black curve: Rabi oscillations after Doppler cooling with no selection
- Blue curve: Rabi oscillations with one stage of post-selection (12%)
 - Reduced decay rate indicates that most of population is in the ground motional state
 - Selection process is not perfect due to experimental imperfections
 - Some population with $n > 0$ remains in $|e\rangle$

Experimental procedure – two cycles



Demonstration of ground state selection

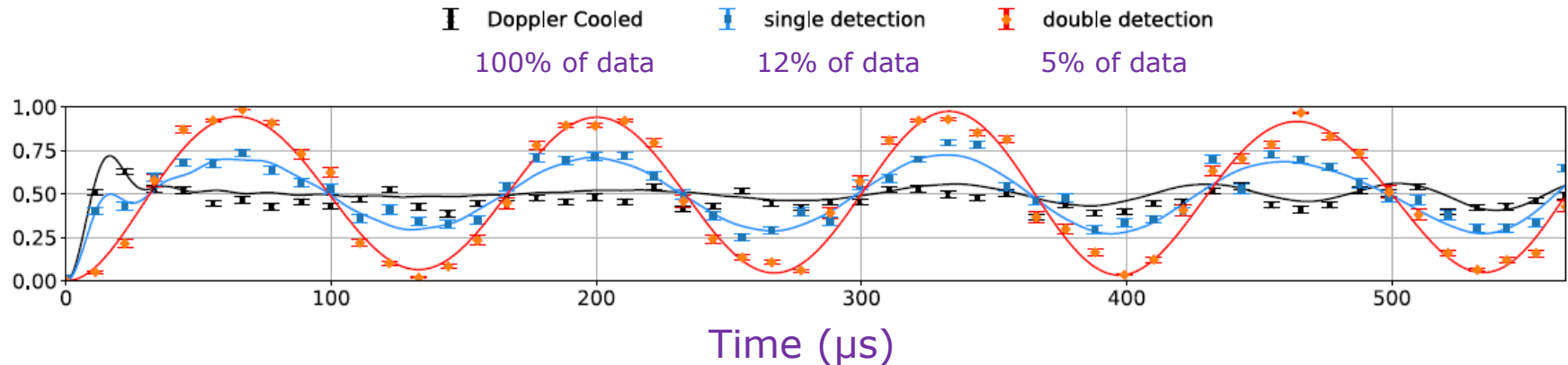
Excitation probability



- Rabi oscillations on the carrier transition as a function of time
- Black curve: Rabi oscillations after Doppler cooling with no selection
- Blue curve: Rabi oscillations with one stage of post-selection (12%)
- Orange curve: Rabi oscillations with two stages of post-selection (5%)
 - High visibility oscillations indicate near perfect preparation of ground motional state
- We have effectively prepared the system in the ground state

Demonstration of ground state selection

Excitation probability



- Rabi oscillations on the sideband transition as a function of time
- Black curve: Rabi oscillations after Doppler cooling with no selection
 - Rapid decay due to strong dependence of Rabi frequency on n
- Blue curve: Rabi oscillations with one stage of post-selection (12%)
 - Reduced decay rate indicates that most of population is in the ground motional state
 - The rest of the population is spread over many motional states
- Orange curve: Rabi oscillations with two stages of post-selection (5%)
 - High visibility oscillations indicate near perfect preparation of ground motional state

Theoretical model

- Assume that the failure probability of the RAP is ε
- The probability of being in $n=0$ after selection is then

$$p(n = 0|e) = \frac{1}{1 + 2\varepsilon\bar{n}}$$

- The experimental probability p_0 of being in $n=0$ after Doppler cooling is $\sim 5\%$
 - After one cycle of selection it rises to $\sim 49\%$
 - After two cycles of selection it rises to $\sim 96\%$
- This is successfully modelled with $\varepsilon = 0.05$

Conclusion

- We have demonstrated measurement-based cooling of a single trapped ion
- After two stages of selection we know that the system is in the $n=0$ state 95% of the time
- This enables us to carry out coherent operations on the ion
- This method could be applied to other systems where sideband cooling is not feasible

Thanks to group members:

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